





# Motivation

- ▶ This paper investigates the consequences for liquidity and efficiency of
  - ▶ A regional forward market
  - ▶ A regional short-term market (consumers pay average of local short-term prices)

Table 1: A taxonomy of market designs

	Local forward market	Regional forward market
Local short-term market	Default US market design	PJM, CAISO
Regional short-term market	Theory	NYISO, ISO-NE, Singapore, Italy





## Timing of the game

- ▶ Each local producer commits to a forward price  $f$
- ▶ Each large consumer purchases forward quantity  $k$
- ▶ Each local producer supplies  $q$  to the short-term market
- ▶ Solve the game backwards

# Short-term market

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Profit of the large producer in a **local** forward market

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**Regional forward quantity half the pro-competitive effect**





## Demand for forward contracts

Profit of the large consumer in a **local** forward market

$$-[f - P(q(k))]k + [v - P(q(k))]D$$

Demand  $k(f)$  for local forward contracts

$$f - P(q(k)) = -P'(q(k))q'(k)(D - k)$$

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**Forward premium smaller in regional forward market**



# Equilibrium in the forward market

Equilibrium in a **local** forward market

$$k^I + [f^I - p^I]k'(f^I) = 0$$







